

Remote Sensing & Photogrammetry

L6

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Image processing

1. Visual interpretation of single spectral band

- Readout of DN and coordinates: x,y

2. Image enhancement

- Histogram calculation
- Linear histogram stretching
- Image comparison before and after *stretching*
- Different parameters of linear *stretching*
- Histogram saturation and equalization

3. Visualization of multispectral bands

- RGB
- FCC



Image processing

4. Multi bands operation

- Ratio – Vegetation Index (VI)
- Normalized ratio – Normalized Vegetation Index (NDVI)
- Multi channel statistics
- Principal Component Analysis (PCA) (presented live – Lecture 5)
- Map algebra
- Image fusion

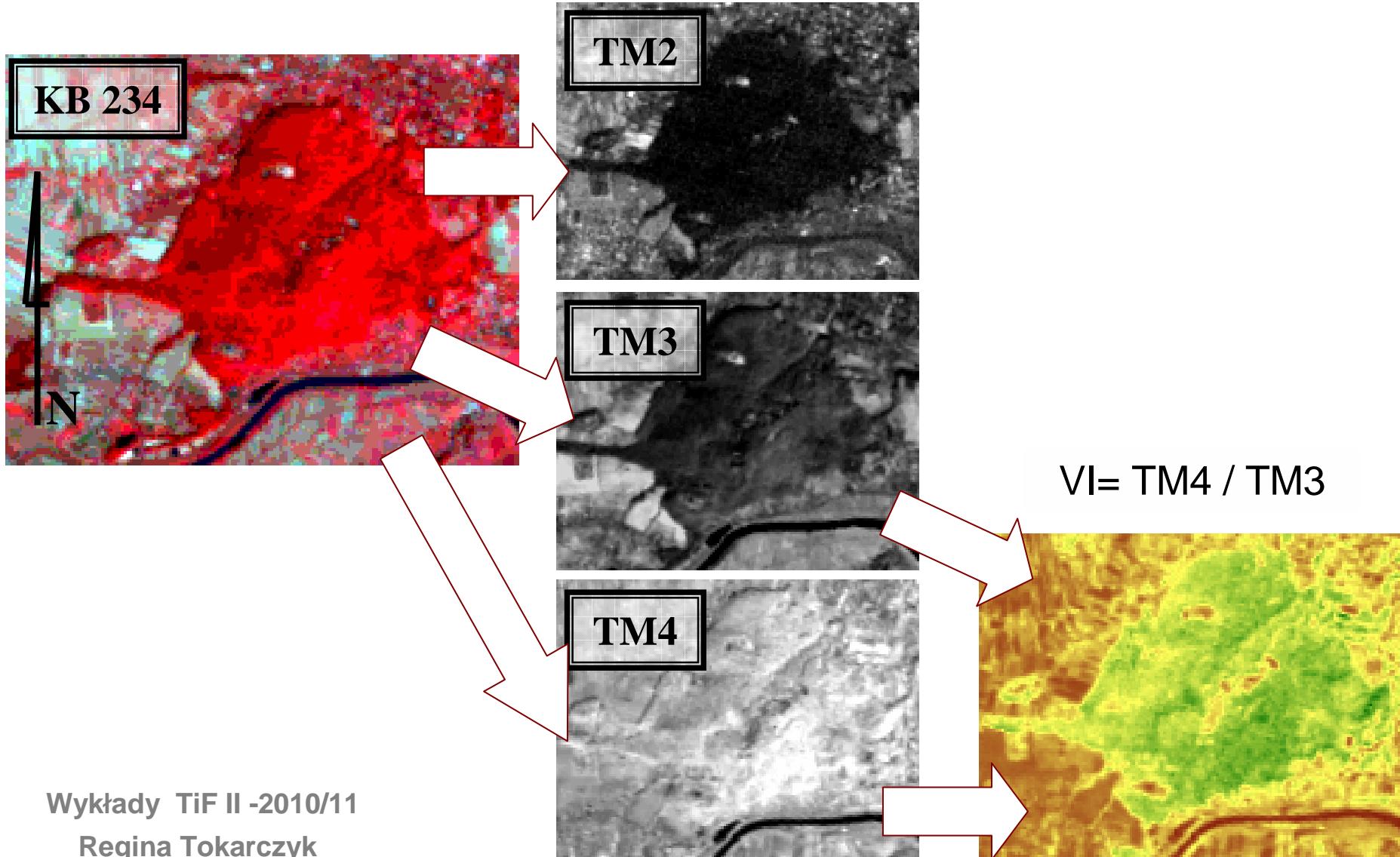
5. Image classification

- Density slicing
- piece-wise linear stretching
- Multispectral image classification
 - Sampling
 - Different algorithms
 - Classification accuracy assessment
 - Post classification operation

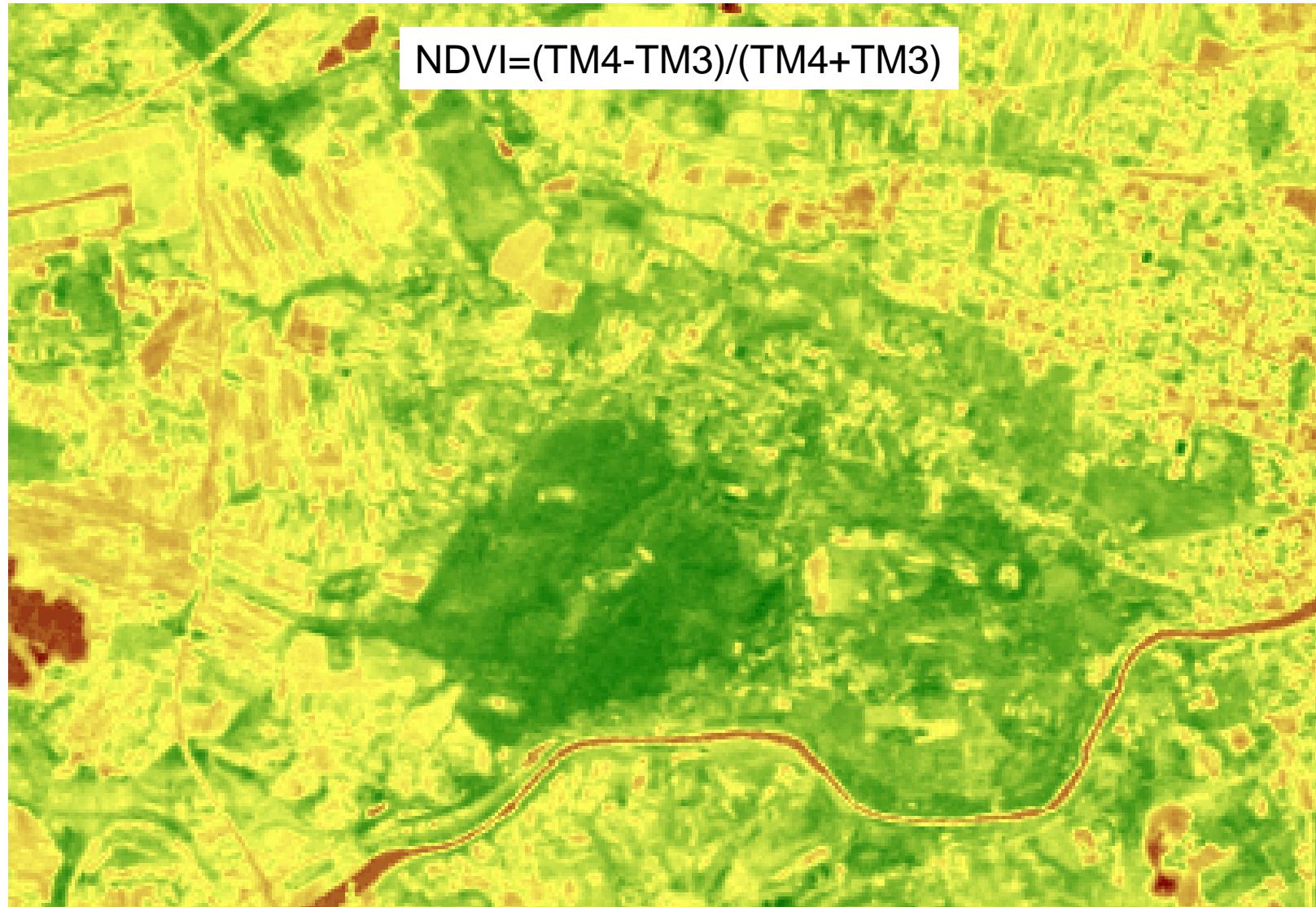
COR MATRIX	lan1lw	lan2lw	lan3lw	lan4lw	lan5lw	lan7lw
lan1lw	1.000000	0.942387	0.935484	-0.074839	0.590675	0.787761
lan2lw	0.942387	1.000000	0.969763	0.064430	0.706453	0.857807
lan3lw	0.935484	0.969763	1.000000	0.025565	0.744478	0.905001
lan4lw	-0.074839	0.064430	0.025565	1.000000	0.471065	0.181986
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lan7lw	0.787761	0.857807	0.905001	0.181986	0.909121	1.000000

Vegetation index

Ratio Vegetation Index VI=NIR/RED
NDVI Normalized Difference Vegetation Index
 $NDVI = (NIR - RED) / (NIR + RED)$



NDVI – Normalized Differential Vegetation Index



Normalized Burn Ratio

- Normalized Burn Ratio

$$\text{NBR} = (\text{TM4} - \text{TM7}) / (\text{TM4} + \text{TM7})$$

- Normalized Difference Burn Ratio (NDBR)

$$\text{NDBR} = \text{NBR}_{\text{pre}} - \text{NBR}_{\text{post}}$$

SI radiometry units

Quantity	Symbol ^[nb 1]	SI unit	Symbol	Dimension	Notes
Radiant energy	Q_e ^[nb 2]	joule	J	$M \cdot L^2 \cdot T^2$	energy
Radiant flux	Φ_e ^[nb 2]	watt	W	$M \cdot L^2 \cdot T^{-3}$	radiant energy per unit time, also called <i>radiant power</i> .
Spectral power	$\Phi_{e\lambda}$ ^{[nb 2][nb 3]}	watt per metre	$W \cdot m^{-1}$	$M \cdot L \cdot T^{-3}$	radiant power per wavelength.
Radiant intensity	I_e	watt per steradian	$W \cdot sr^{-1}$	$M \cdot L^2 \cdot T^{-3}$	power per unit <i>solid angle</i> .
Spectral intensity	$I_{e\lambda}$ ^[nb 3]	watt per steradian per metre	$W \cdot sr^{-1} \cdot m^{-1}$	$M \cdot L \cdot T^{-3}$	radiant intensity per wavelength.
Radiance	L_e	watt per steradian per square metre	$W \cdot sr^{-1} \cdot m^{-2}$	$M \cdot T^{-3}$	power per unit solid angle per unit <i>projected source area</i> . confusingly called " <i>intensity</i> " in some other fields of study.
Spectral radiance	$L_{e\lambda}$ ^[nb 3] or L_{ev} ^[nb 4]	watt per steradian per m^{-3} or watt per steradian per square metre per hertz	$W \cdot sr^{-1} \cdot m^{-3}$ or $W \cdot sr^{-1} \cdot m^{-2} \cdot Hz^{-1}$	$M \cdot L^{-1} \cdot T^{-3}$ or $M \cdot T^{-2}$	commonly measured in $W \cdot sr^{-1} \cdot m^{-2} \cdot nm^{-1}$ with surface area and either wavelength or frequency.
Irradiance	E_e ^[nb 2]	watt per square metre	$W \cdot m^{-2}$	$M \cdot T^{-3}$	power incident on a surface, also called <i>radiant flux density</i> . sometimes confusingly called " <i>intensity</i> " as well.
Spectral irradiance	$E_{e\lambda}$ ^[nb 3] or E_{ev} ^[nb 4]	watt per m^{-3} or watt per square metre per hertz	$W \cdot m^{-3}$ or $W \cdot m^{-2} \cdot Hz^{-1}$	$M \cdot L^{-1} \cdot T^{-3}$ or $M \cdot T^{-2}$	commonly measured in $W \cdot m^{-2} \cdot nm^{-1}$ or $10^{-22} W \cdot m^{-2} \cdot Hz^{-1}$, known as solar flux unit. ^[nb 5]
Radiant exitance / Radiant emittance	M_e ^[nb 2]	watt per square metre	$W \cdot m^{-2}$	$M \cdot T^{-3}$	power emitted from a surface.
Spectral radiant exitance / Spectral radiant emittance	$M_{e\lambda}$ ^[nb 3] or M_{ev} ^[nb 4]	watt per m^{-3} or watt per square metre per hertz	$W \cdot m^{-3}$ or $W \cdot m^{-2} \cdot Hz^{-1}$	$M \cdot L^{-1} \cdot T^{-3}$ or $M \cdot T^{-2}$	power emitted from a surface per wavelength or frequency.

Irradiance

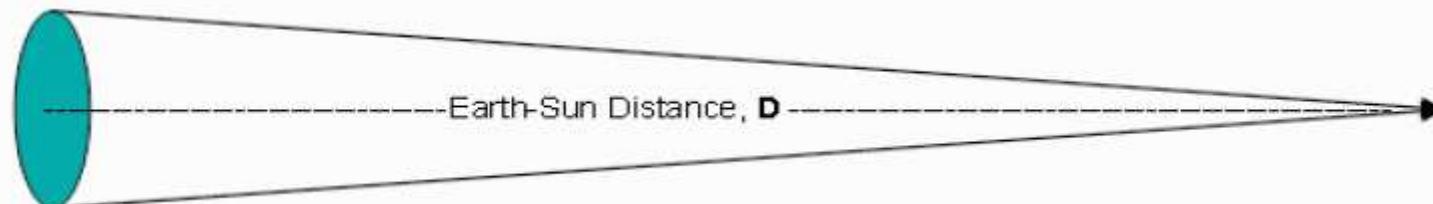
Irradiance – ratio of incident radiant flux on elementar unit flux stosunek strumienia padającego w elementarnej jednostce czasu na element powierzchni odbiornika do wielkości tej powierzchni dla wąskiego przedziału spektralnego p.e.m. (emitancja spektralna)

$$E = dQ/dt/dA = \Phi/dA \text{ W/m}^2$$

Constant on the top of atmosphere : mean value 1366,1 W/(m²) – solar constant

$$E_\lambda = dQ/dt/dA/\text{kąt bryłowy} \text{ W/(m}^2 \text{ sr } \mu\text{m})$$

Table 9.1 Solar Spectral Irradiances (watts/m ² /nm)	
band 1	1969.000
band 2	1840.000
band 3	1551.000
band 4	1044.000
band 5	225.700
band 7	82.07
band 8	1368.000



Albedo

**Albedo (reflectance coefficient) = Energy reflected from the Earth/
Energy incident on the Earth = $Q_{p\lambda}/Q_\lambda = L_\lambda/E_\lambda$**

(in all EM range)

Albedo depends on:

- Energy incident (solar zenith angle) – on horizontal and sloping surfaces
- Reflecting object surface (color, character, roughness, wetness)

Lambert's law:

Energy incident on the Earth = Energy incident on the Earth (vertical) * cos (Vo)

- Vo – local zenith angle

Example albedo:

- Soil 5-10%
- Conifer forest 15-20%
- Grass 20-25%
- Snow: fresh 75-95%, old 50-60%
- Anthropological materials (5-20% asphalt, 10-35% concrete, 20-35% stone, 10-35% tile

Map algebra - radiance

- Radiance (luminance) calculation:

$$L_\lambda = gain \cdot DN + offset = ((L_{\max} - L_{\min}) / 255) \cdot DN + L_{\min}$$

- L_λ – spectral radinace recorded by sensor
- L_{\min} – minimal radiance of detectors in PAN: – 5.00
- L_{\max} – maximal radiance of detectors in PAN: 244.00
- DN – of channel 8, PAN

Map algebra - albedo

Albedo

$$\rho = \frac{\pi \cdot L_\lambda \cdot d^2}{ESUN_\lambda \cdot \cos \theta_s}$$

where:

ρ - albedo

L_λ - spectral radiance recorded by sensor

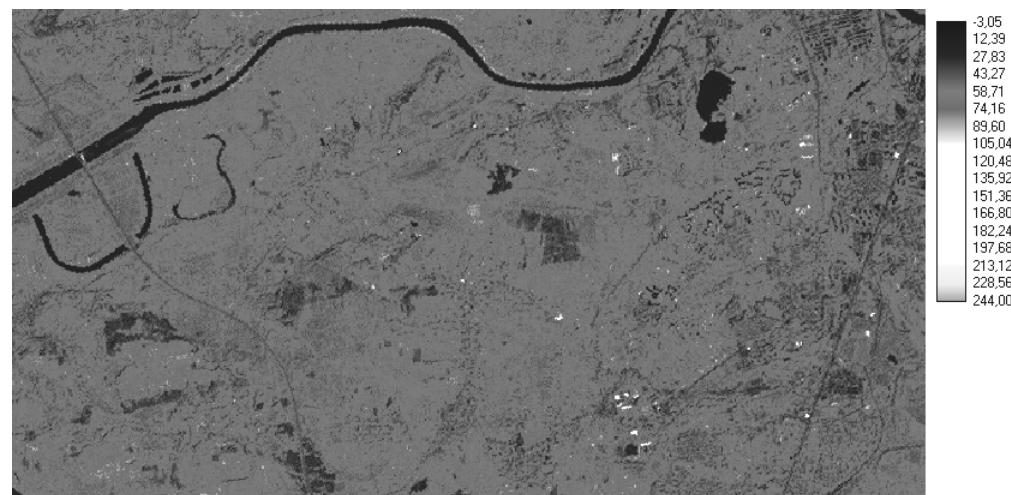
d - distance between Earth and Sun in astronomical units
for given day of the year

$ESUN_\lambda$ - mean irradiance = 1368.00

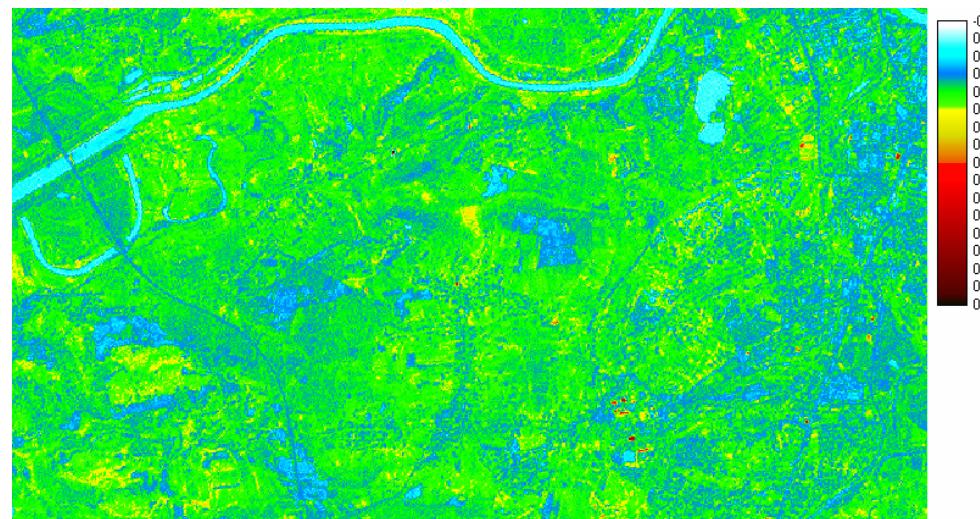
θ_s - Sun zenith angle

Map algebra - albedo

DN
PAN
Band 8
Landsat ETM+

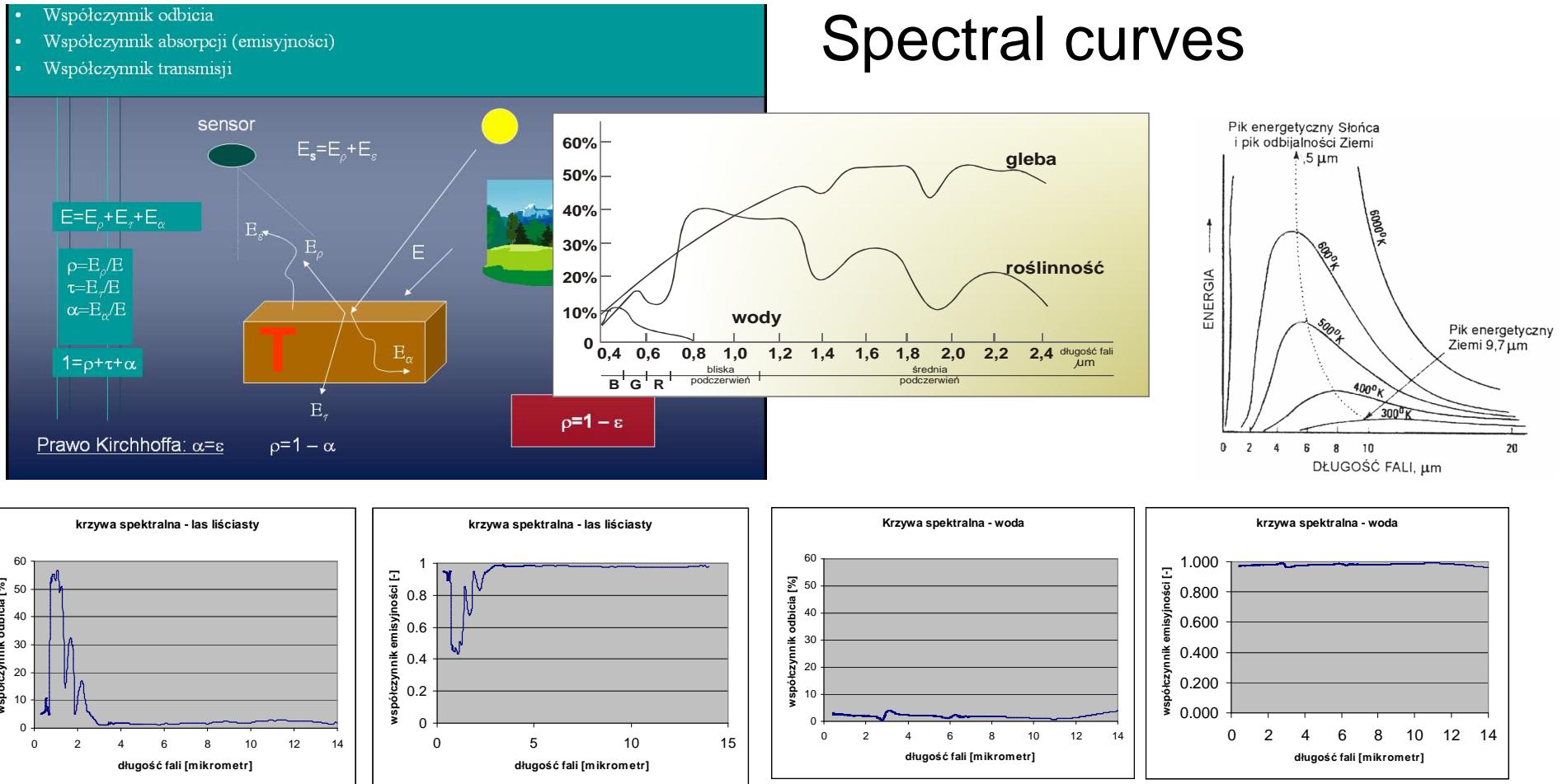


Albedo
(0.52 – 0.90 μm)



VIR, SWIR, TIR

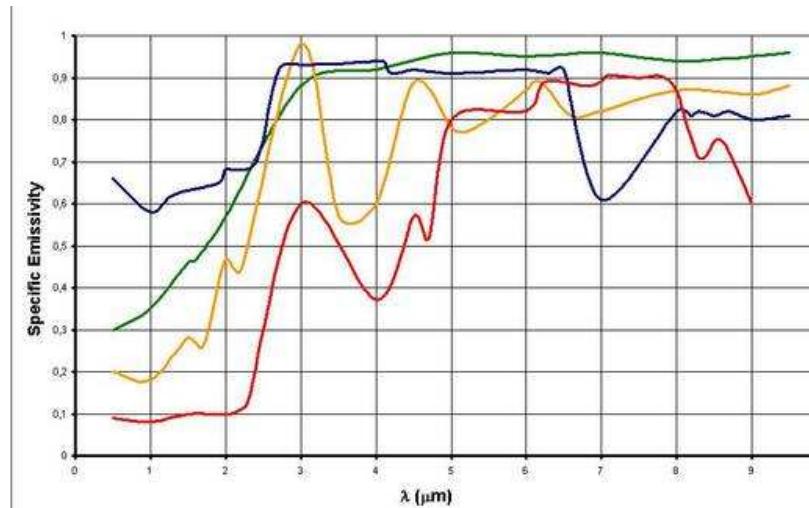
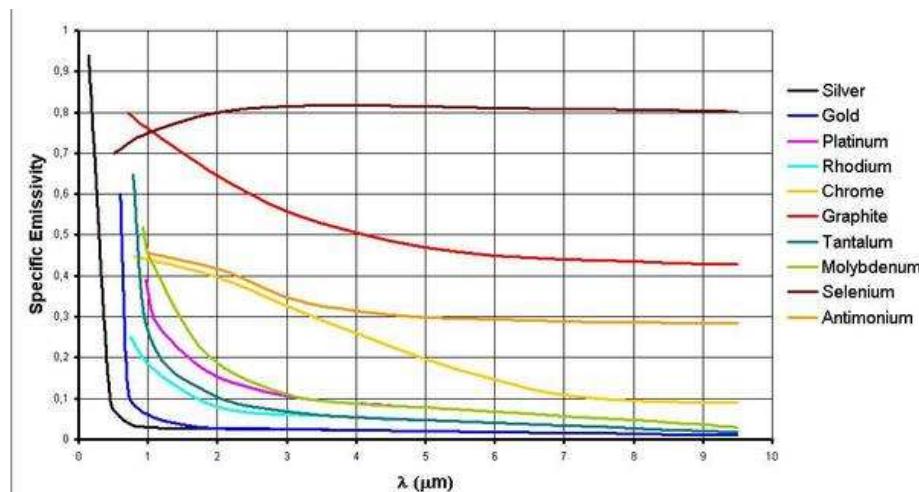
- Współczynnik odbicia
- Współczynnik absorpcji (emisyjności)
- Współczynnik transmisji



$$E_p(\lambda) = \rho(\lambda) E(\lambda)$$

$$E_s(\lambda) = \varepsilon(\lambda) B(\lambda, T_s) + (1 - \varepsilon(\lambda)) E(\lambda)$$

EM laws TIR

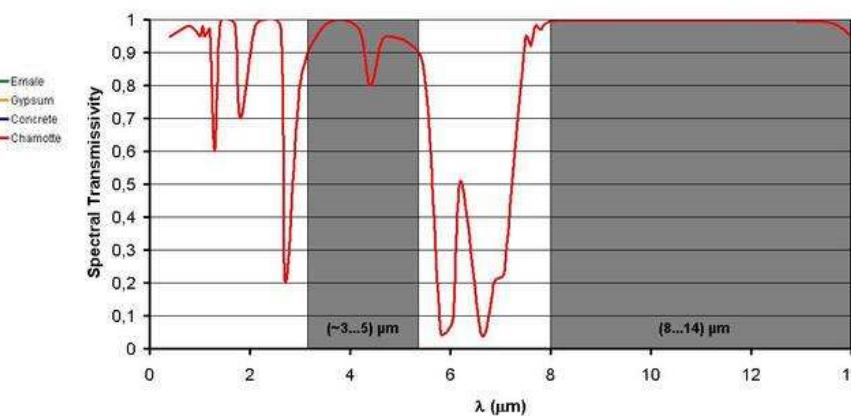
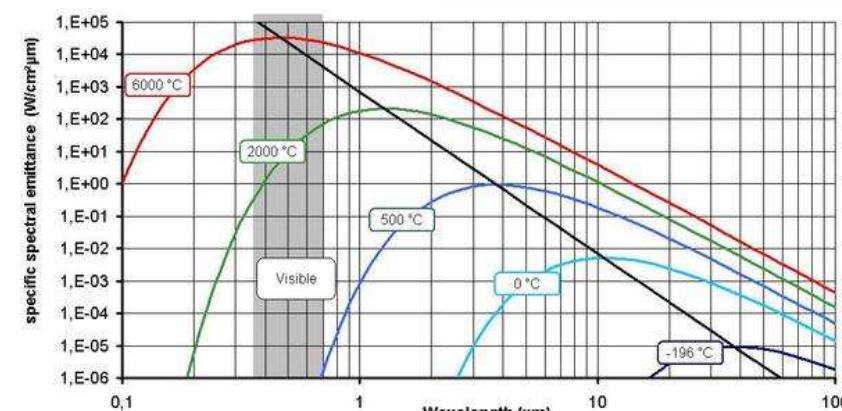
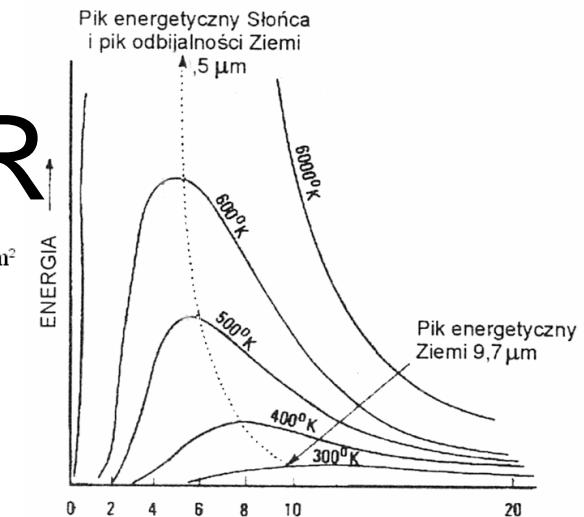


$$M_\lambda = \frac{c_1}{\lambda^5 * [\exp(c_2/\lambda T) - 1]}$$

$$c_1 = 3,74 * 10^{-16} \text{ W*m}^2$$

$$c_2 = 1,44 * 10^{-2} \text{ K*m}$$

$$\lambda_{\max} * T = 2896 \text{ } \mu\text{m*K}$$

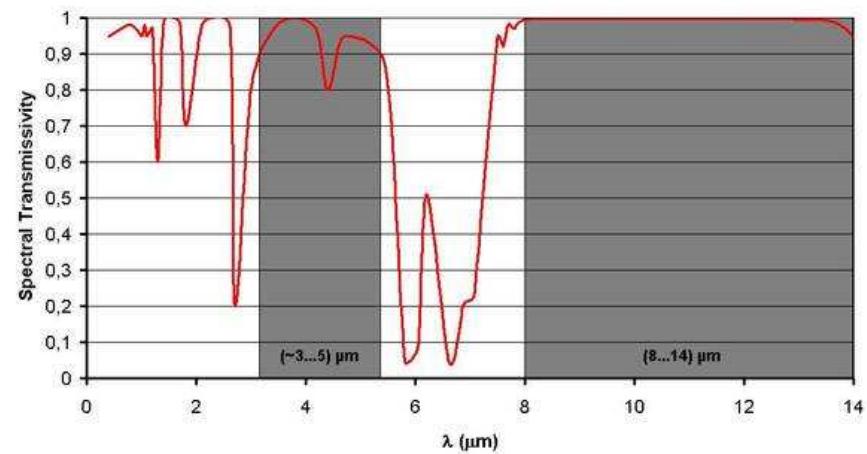
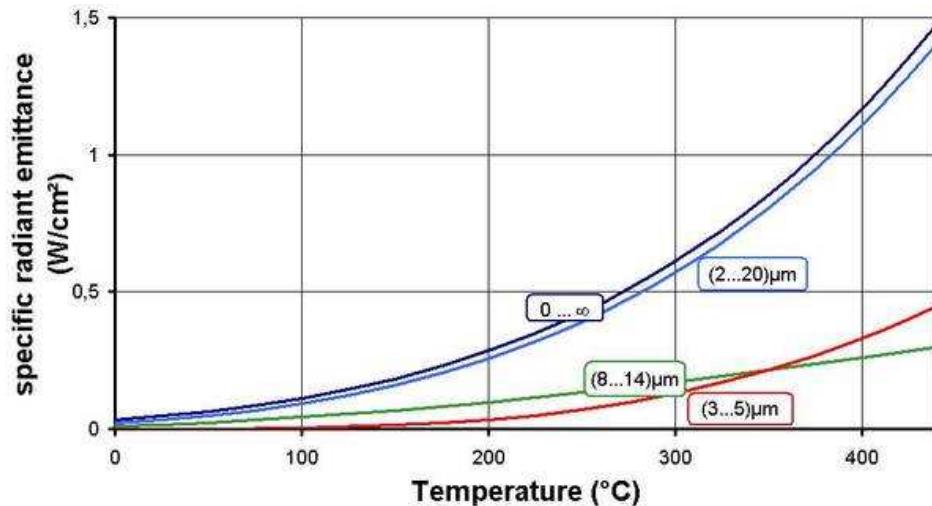
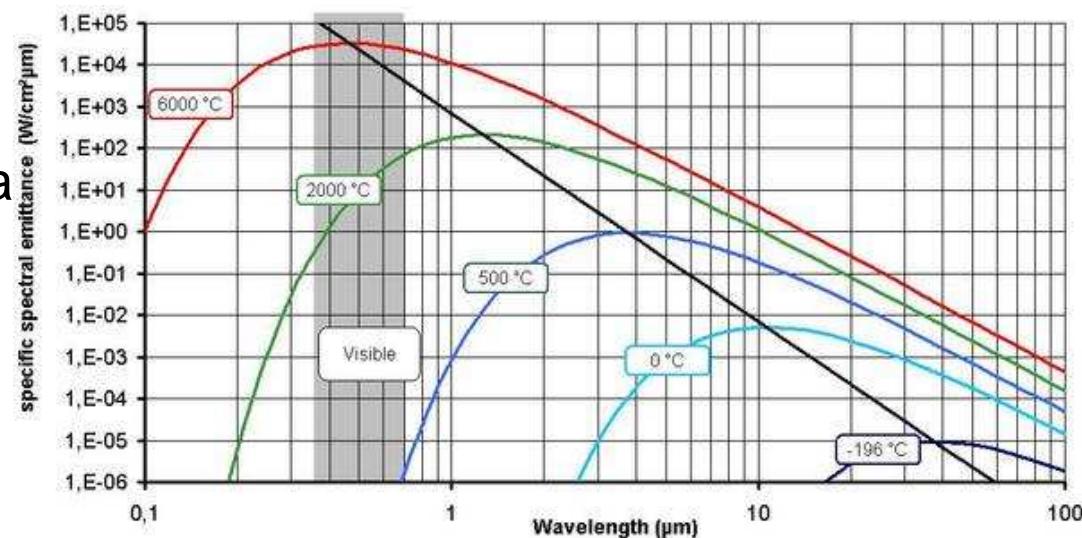


EM laws TIR

$$E = \epsilon \sigma T^4$$

σ - Stefan-Boltzmann constant

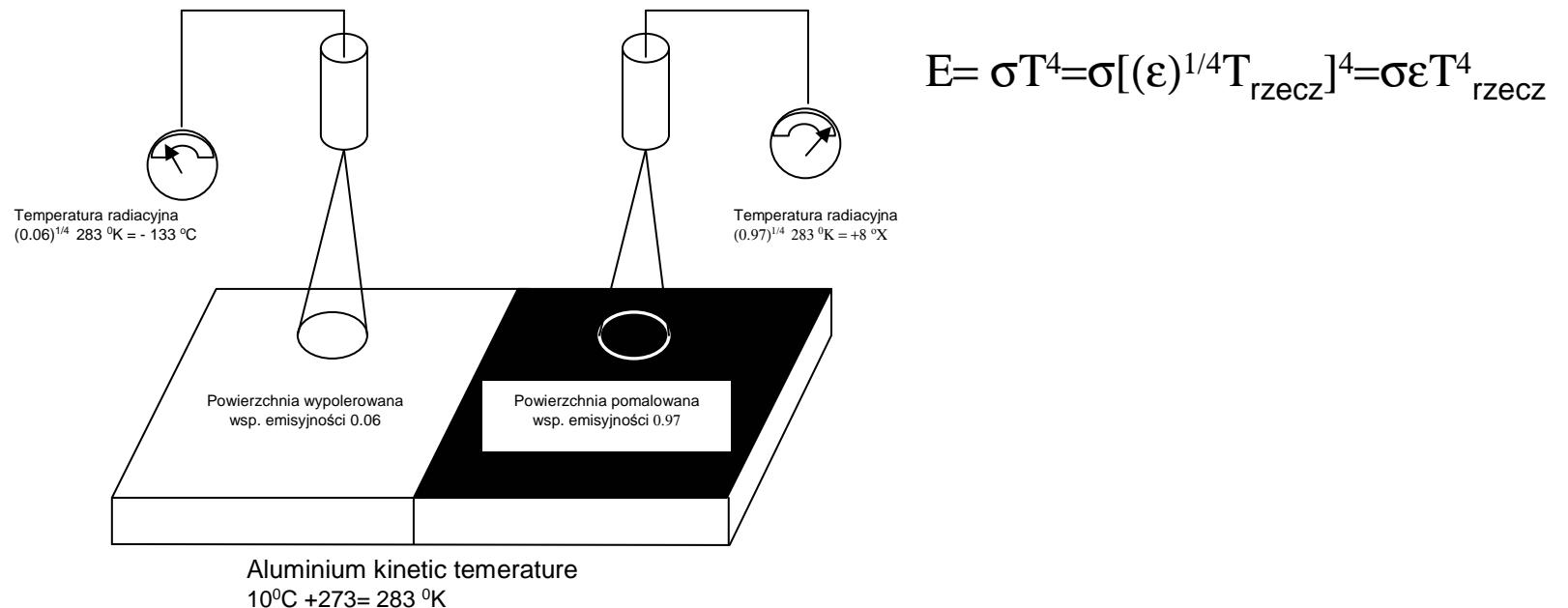
$$5,67 \cdot 10^{-8} W / (m^2 \cdot K)$$



Map algebra - temperature

Radiant temperature

$$T = \sqrt[4]{\varepsilon} \cdot T_{rzecz}$$



Radiant temperature

Porównanie temperatury kinetycznej i radiacyjnej typowych obiektów [°C]

obiekt	emisyjność	T.kinetyczna	T. radiacyjna
ciało doskonale cz.	1,00	27,0	27,0
roślinność	0,98	27,0	25,5
gleba wilgotna	0,95	27,0	23,2
gleba sucha	0,92	27,0	20,8

Źródło Kurczyński 2006/ Lillesand, Kiefer, 2000

Map algebra - temperature

Temperature

$$L_\lambda = gain \cdot DN + offset = ((L_{\max} - L_{\min})/255) \cdot DN + L_{\min}$$
$$(W \cdot m^{-2} \cdot sr^{-1} \cdot \mu m^{-1})$$

- where:
- L_λ – spectral radiance of the sensor,
- L_{\min} – minimum spectral radiance , in thermal band 0.00,
- L_{\max} – maximum spectral radiance , in thermal band 17.04
- DN – of thermal band

Map algebra - temperature

$$M_\lambda = \frac{c_1}{\lambda^5 * [\exp(c_2/\lambda T) - 1]}$$

$$c_1 = 3,74 * 10^{-16} \text{ W*m}^2$$

$$c_2 = 1,44 * 10^{-2} \text{ K*m}$$

$$T = \frac{K_2}{\ln\left(\frac{K_1}{L_\lambda} + 1\right)}$$

gdzie:

L_λ - luminancja spektralna zarejestrowana przez radiometr satelity ($\text{W} \cdot \text{m}^{-2} \cdot \text{sr}^{-1} \cdot \mu\text{m}^{-1}$)

K_1, K_2 - stałe kalibracyjne

$$K_1 = \frac{2 \cdot \pi \cdot c^2 \cdot h}{\lambda^5} = 666.09 \left(\frac{\text{W}}{\text{m}^2 \cdot \text{sr} \cdot \mu\text{m}} \right)$$

$$K_2 = \frac{h \cdot c}{k \cdot \lambda} = 1282.71 \text{ (K)}$$

k - stała Boltzmana $1,380 \cdot 10^{-23} \left(\frac{\text{J}}{\text{K}} \right)$

h - stała Planka $6,626 \cdot 10^{-34} \text{ (J*s)}$

c - prędkość światła $2,998 \cdot 10^8 \left(\frac{\text{m}}{\text{s}} \right)$

λ - długość fali (m)

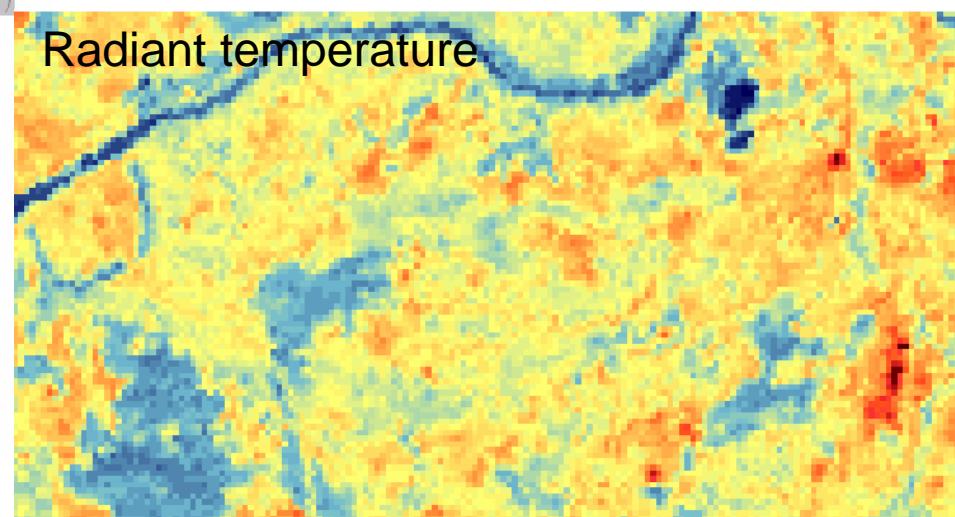
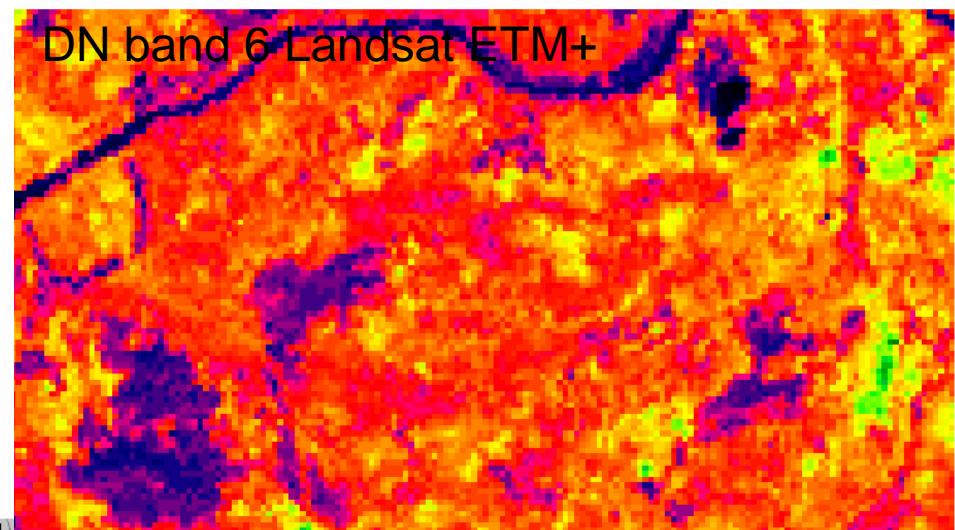


Image processing

4. Multi bands operation

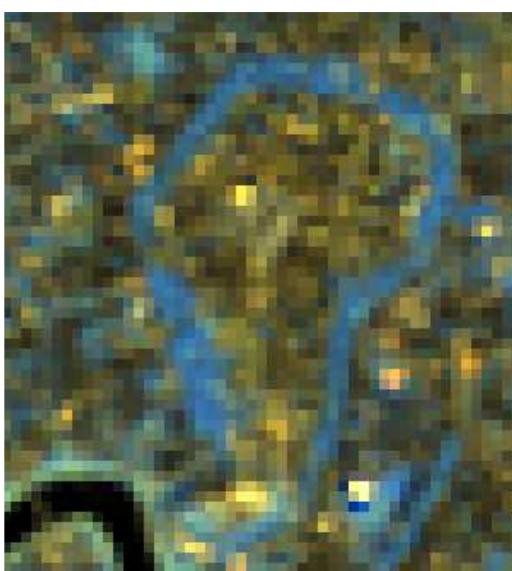
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- Density slicing
- piece-wise linear stretching
- Multispectral image classification
 - Sampling
 - Different algorithms
 - Classification accuracy assessment
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Image fusion



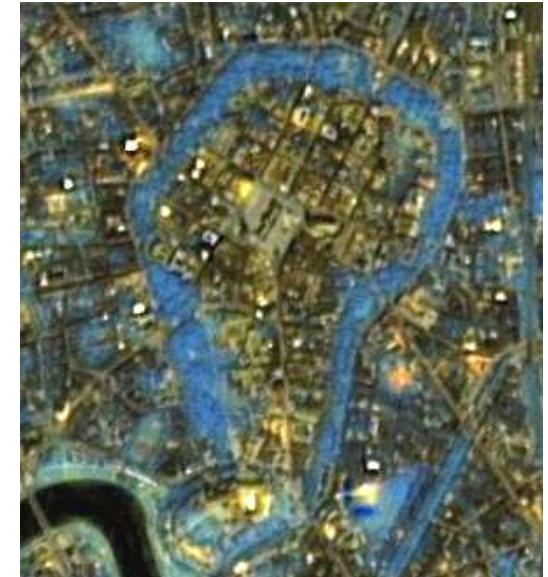
Multispectral image
composition
low spatial
resolution

+



PAN
High spatial
resolution

=



merging, band sharpening ...

Image fusion

IHS TRANSFORMATION

Trójwymiarowy model kolorów

The diagram illustrates the IHS color model transformation. It starts with a 3D color cube labeled "Trójwymiarowy model kolorów". This cube is decomposed into three components: "Odcień" (Hue, H), "Jasność" (Brightness, I), and "Nasycenie" (Saturation, S). The H component shows a circular path on the surface of the cube, the I component shows a vertical axis through the center, and the S component shows a diagonal axis. Below the cube, four corresponding grayscale images are shown: a composite image labeled "Spektrum widzialne", the "H" component, the "I" component, and the "S" component. The "H" component is labeled "KB 123" in a box.

H

I

S

Spektrum widzialne

Odcień

Jasność

Nasycenie

KB 123

H

I

S

Image fusion

IHS TRANSFORMATION

$$\begin{pmatrix} I \\ \mathbf{v}_1 \\ \mathbf{v}_2 \end{pmatrix} = \begin{pmatrix} \frac{1}{\sqrt{3}} & \frac{1}{\sqrt{3}} & \frac{1}{\sqrt{3}} \\ \frac{1}{\sqrt{6}} & \frac{1}{\sqrt{6}} & -\frac{2}{\sqrt{6}} \\ \frac{1}{\sqrt{2}} & -\frac{1}{\sqrt{2}} & 0 \end{pmatrix} * \begin{pmatrix} R \\ G \\ B \end{pmatrix} \quad (a)$$

$$\begin{pmatrix} R \\ G \\ B \end{pmatrix} = \begin{pmatrix} \frac{1}{\sqrt{3}} & \frac{1}{\sqrt{6}} & \frac{1}{\sqrt{2}} \\ \frac{1}{\sqrt{3}} & \frac{1}{\sqrt{6}} & -\frac{1}{\sqrt{2}} \\ \frac{1}{\sqrt{3}} & -\frac{2}{\sqrt{6}} & 0 \end{pmatrix} * \begin{pmatrix} I \\ \mathbf{v}_1 \\ \mathbf{v}_2 \end{pmatrix}$$

$$H = \tan^{-1}\left(\frac{\mathbf{v}_2}{\mathbf{v}_1}\right) \quad (b) \quad S = \sqrt{\mathbf{v}_1^2 + \mathbf{v}_2^2} \quad (c)$$

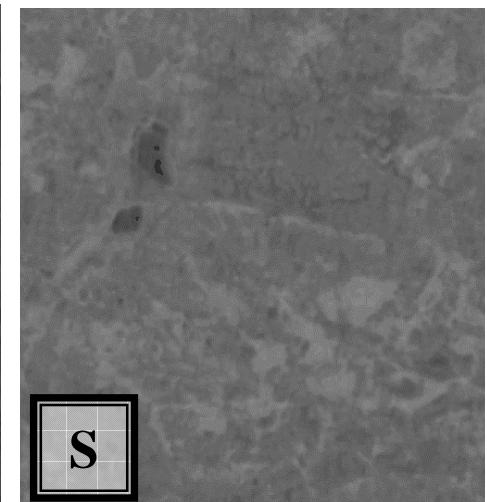
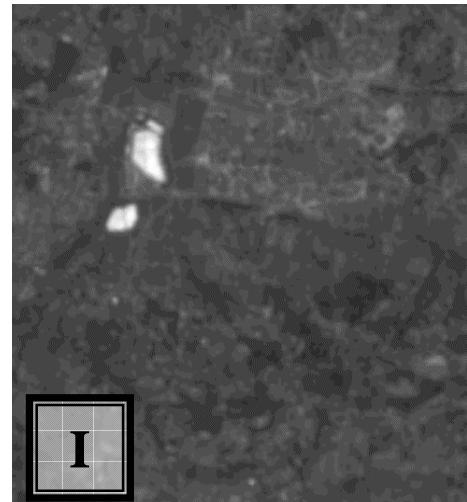
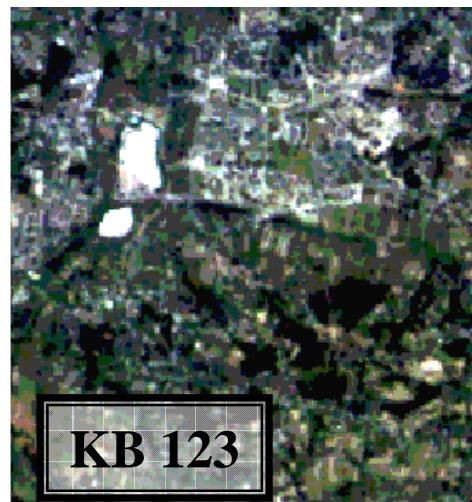
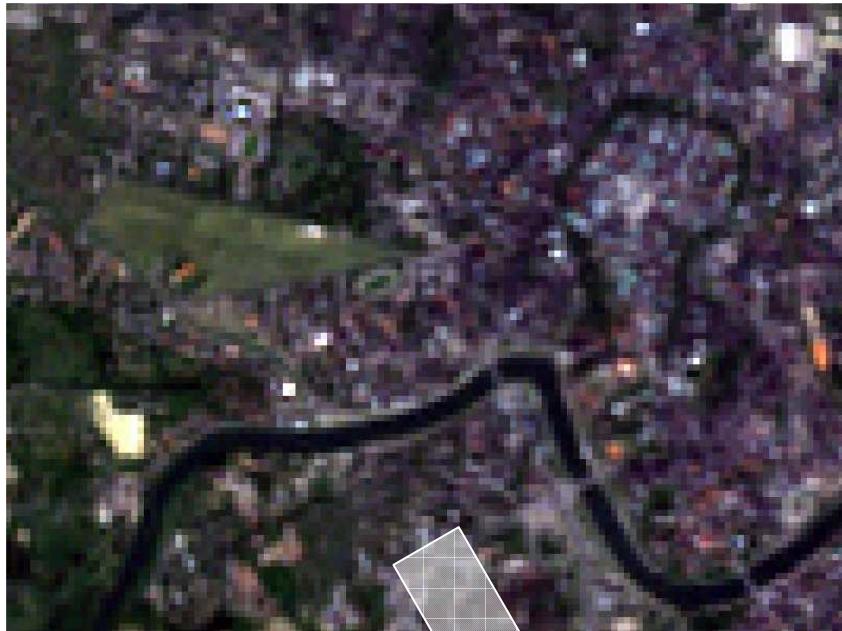


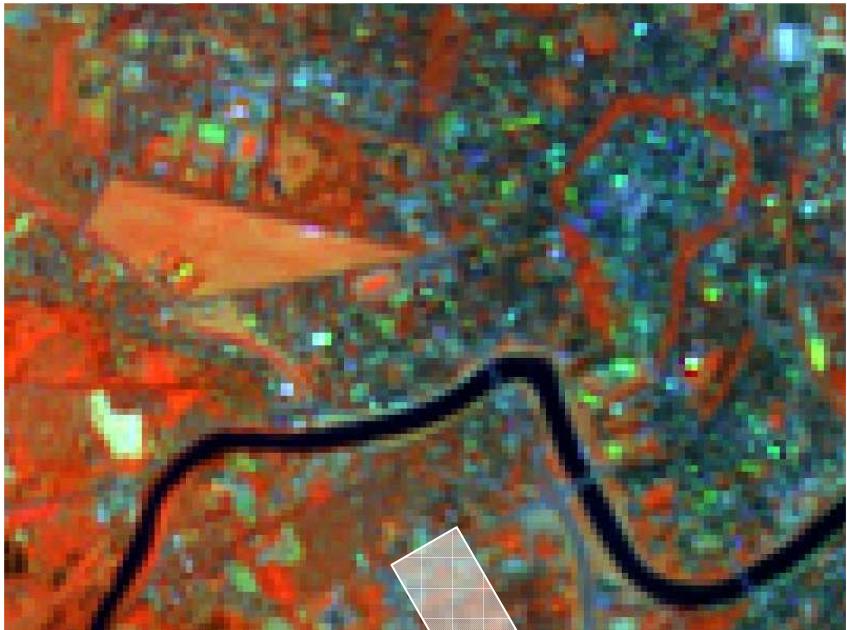
Image fusion



123



Image fusion



174

